



Answer the following questions:

Question 1:

(55 Degree)

1. Define the following: CFG, CNF, BNF, PDA (10 Degree)
2. Compare Ambiguous and Unambiguous Grammar. (5 Degree)
3. Are the following statements true or false? Explain your answer in each case.

(In each case, a fixed alphabet Σ is assumed.) (40 Degree)

- a. Regular languages are not closed under infinite union.
- b. Every finite subset of a non-regular language is regular.
- c. If L is CFL, then \bar{L} is also a CFL.
- d. The language $L = \{a^n b a^n : n \geq 0\}$ is a regular language.
- e. If L_1 and L_2 are CFL, then $L_1 \cup L_2$ is not a CFL.
- f. If L is regular language, then L^* is also a regular language.
- g. If L is a regular, then $L' = \{xy : x \in L \text{ and } y \notin L\}$ is a regular language.
- h. Consider the production rules of grammar G is

$$S \rightarrow AbB, A \rightarrow aAb | \varepsilon, B \rightarrow bB | \varepsilon.$$

The language is generated by that grammar is $L = \{a^n b^m : n \geq 0, m \geq 0\}$.

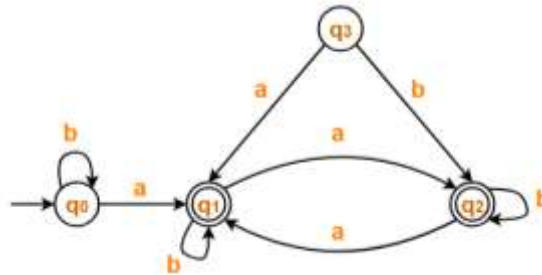
Question 2:

(50 Degree)

1. Write a CFG, which generates odd palindrome for binary numbers, then convert that grammar to a PDA. (10 Degree)
2. Consider the given grammar $G = (\{S, A, B\}, \{a, b\}, P, S)$, where

$$P = \{S \rightarrow a | aA | B, A \rightarrow aBB | \varepsilon, B \rightarrow Aa | b\}.$$
 Convert the given CFG to CNF. (10 Degree)
3. Consider the given grammar $G = (\{E, I\}, \{a, b, c, +, *\}, P, E)$, where

$$P = \{E \rightarrow E + E | E * E | I, I \rightarrow a | b | c\}.$$
 - a) Show that this grammar G is ambiguous for the string $a + b * c$.
 - b) Construct an unambiguous grammar equivalent to G . (10 Degree)
4. Minimize the following DFA. (10 Degree)



5. Construct a PDA that accept the following language:

$$L = \{a^i b^j c^k : i, j, k \geq 0 \text{ and } i + j = k\}.$$

(10 Degree)

انتهت الأسئلة

مع أطيب التمنيات بالتوفيق